

Faculty of Engineering
School of Photovoltaic and Renewable Energy Engineering



Demonstrating the Thermoradiative Diode: Generating Electrical Power Through Radiative Emission

2022 Space Power Workshop

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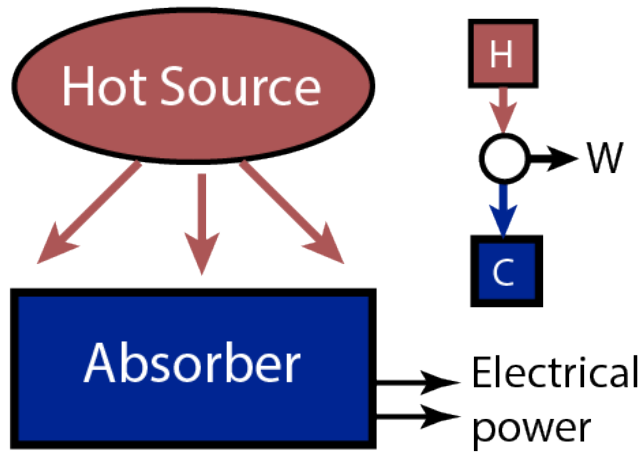
 nekins@unsw.edu.au

 www.qpvgroup.org

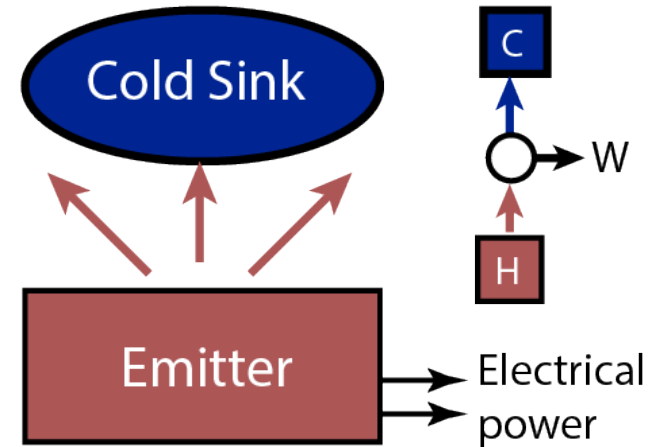
 [EkinsNed](https://twitter.com/EkinsNed)



Electrical Power from Radiative Processes



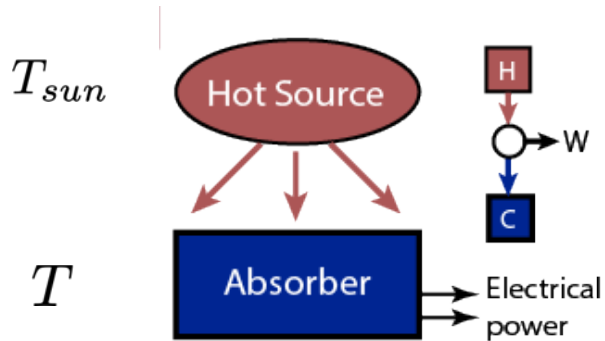
Photovoltaic Solar Cell



Thermoradiative Device



PV Solar Cell IV Curve



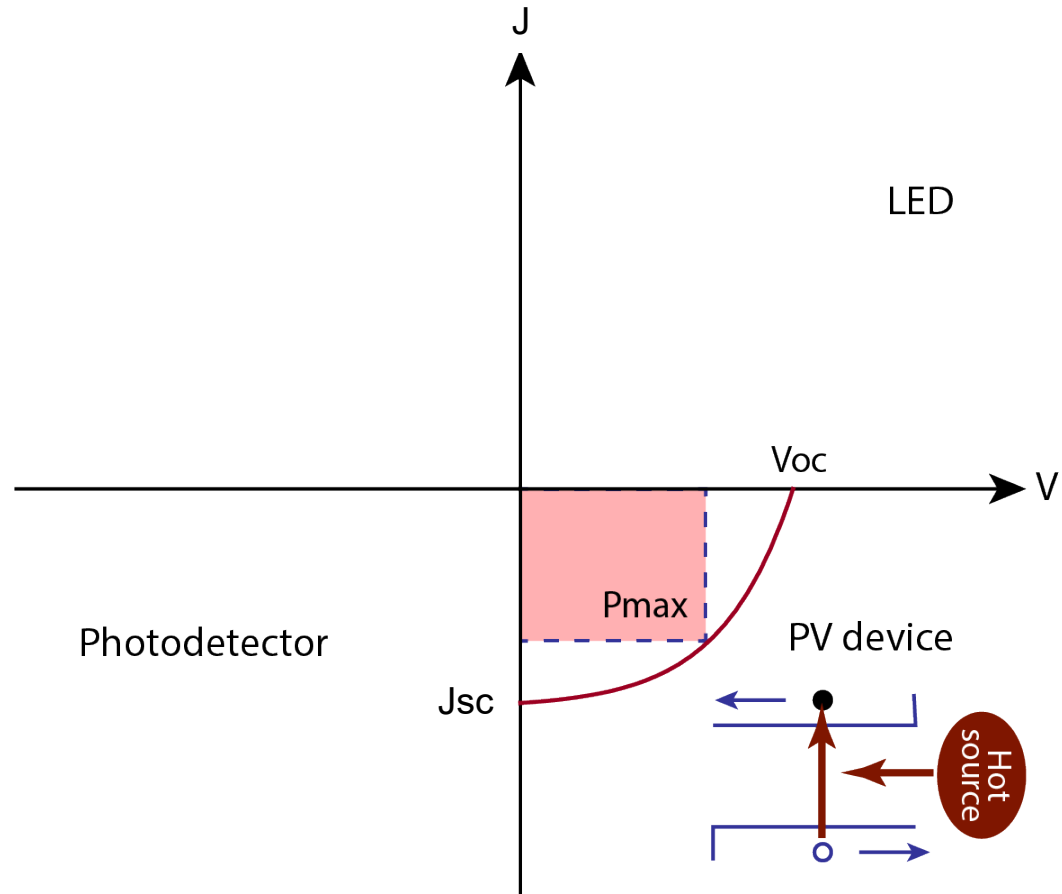
Ideal diode equation:

$$J(V) = J_0 \left(e^{\frac{qV}{kT}} - 1 \right) - J_{sun}$$

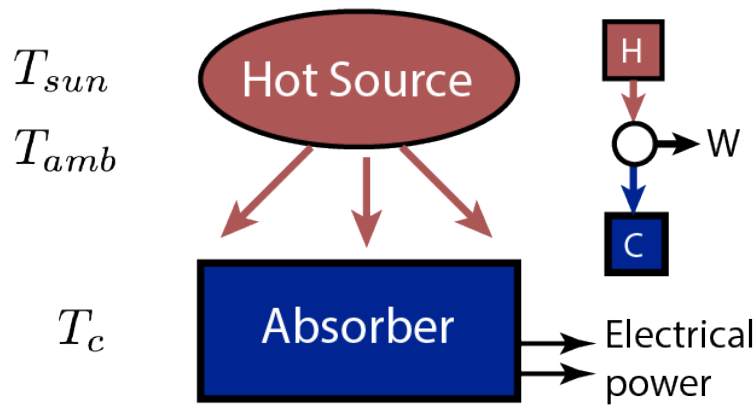
$$J_{sc} = J(0) = J_{sun}$$

Assuming: radiative limit, Boltzmann approx., abrupt absorption edge:

$$J_0 = q \frac{2\pi}{h^3 c^2} kT (E_g^2 + 2kT E_g + 2k^2 T^2) e^{-\frac{E_g}{kT}}$$



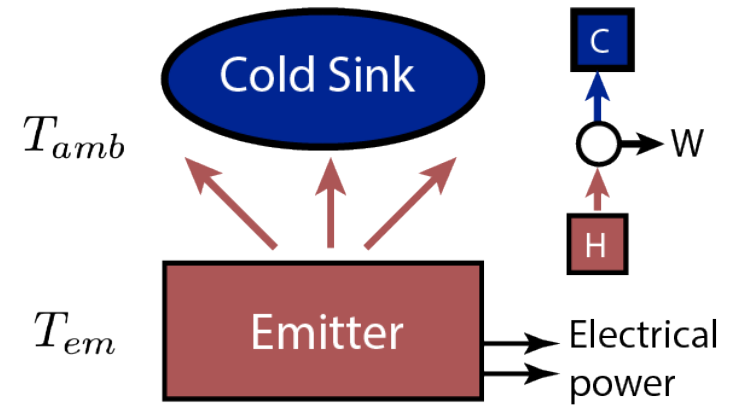
PV Device



$$J(V) = J_0 \left(e^{\frac{qV}{kT_c}} - 1 \right) - J_{sun}$$

PV device is exposed to the sun T_{sun} or a radiative environment at the ambient temperature T_{amb} .

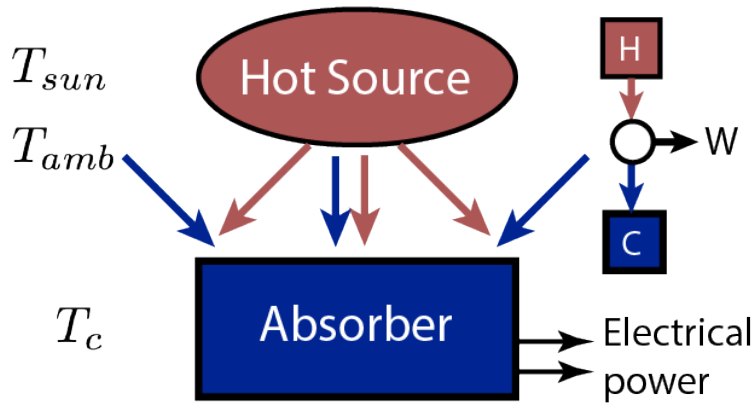
Thermoradiative device



No sun! So $J_{sun} = 0$

TR device at temperature T_{em} is exposed to the cold ambient sink at temperature T_{amb}

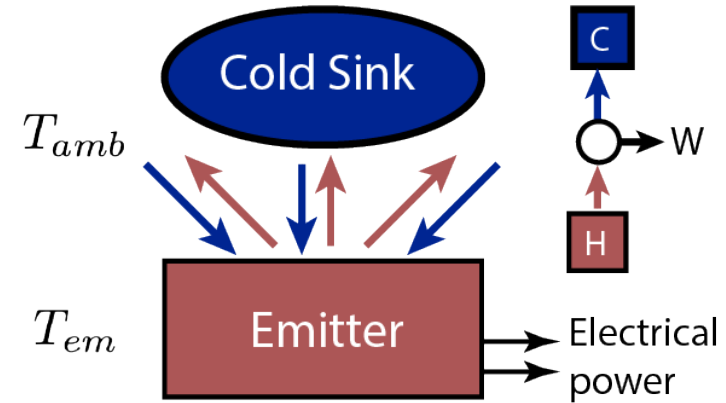
PV Device



$$J(V) = J_0 \left(e^{\frac{qV}{kT_c}} - 1 \right) - J_{sun}$$

PV device is exposed to the sun T_{sun} or a radiative environment at the ambient temperature T_{amb} .

Thermoradiative device



No sun! So $J_{sun} = 0$

TR device at temperature T_{em} is exposed to the cold ambient sink at temperature T_{amb}

In general:

$$J(V) = J_{em} e^{\frac{qV}{kT_{em}}} - J_{amb} - J_{sun}$$

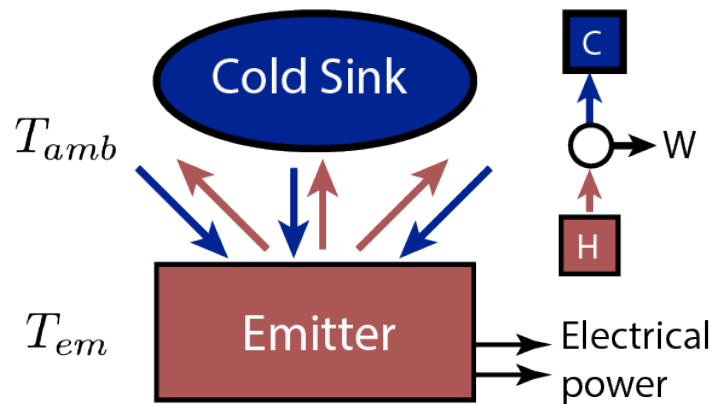
$$T_c = T_{amb} = T_{em}$$

$$J_{em} = J_{amb} = J_0$$

$$J_{em} = q \frac{2\pi}{h^3 c^2} k T_{em} (E_g^2 + 2k T_{em} E_g + 2k^2 T_{em}^2) e^{\frac{-E_g}{k T_{em}}}$$

$$J_{amb} = q \frac{2\pi}{h^3 c^2} k T_{amb} (E_g^2 + 2k T_{amb} E_g + 2k^2 T_{amb}^2) e^{\frac{-E_g}{k T_{amb}}}$$

Thermoradiative device : Jsc



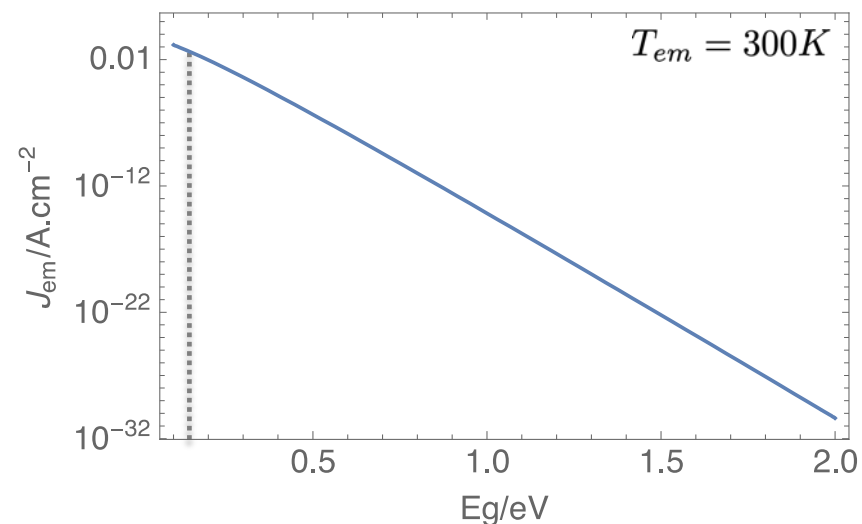
$$J(V) = J_{em} e^{\frac{qV}{kT_{em}}} - J_{amb}$$

$$J_{sc} = J(0) = J_{em} - J_{amb}$$

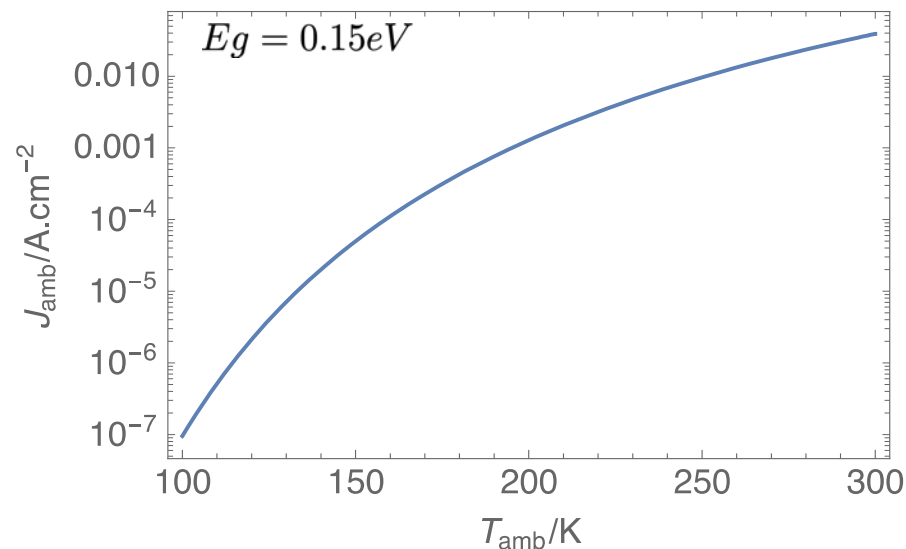
- Thermoradiative device favours low-band gap semiconductors : 39mA.cm⁻² for E_g=0.15eV
- J_{sc} saturates with relatively small temperature differences

$$J_{sc} \rightarrow J_{em} \text{ for } \Delta T > 50K$$

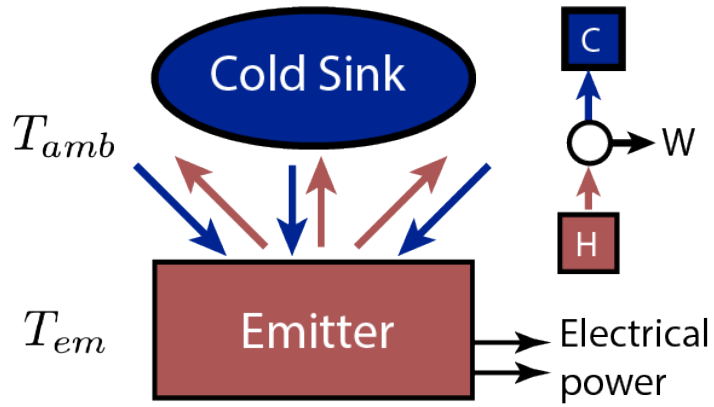
$$J_{em} = q \frac{2\pi}{h^3 c^2} k T_{em} (E_g^2 + 2k T_{em} E_g + 2k^2 T_{em}^2) e^{\frac{-E_g}{k T_{em}}}$$



$$J_{amb} = q \frac{2\pi}{h^3 c^2} k T_{amb} (E_g^2 + 2k T_{amb} E_g + 2k^2 T_{amb}^2) e^{\frac{-E_g}{k T_{amb}}}$$



Thermoradiative device : Voc



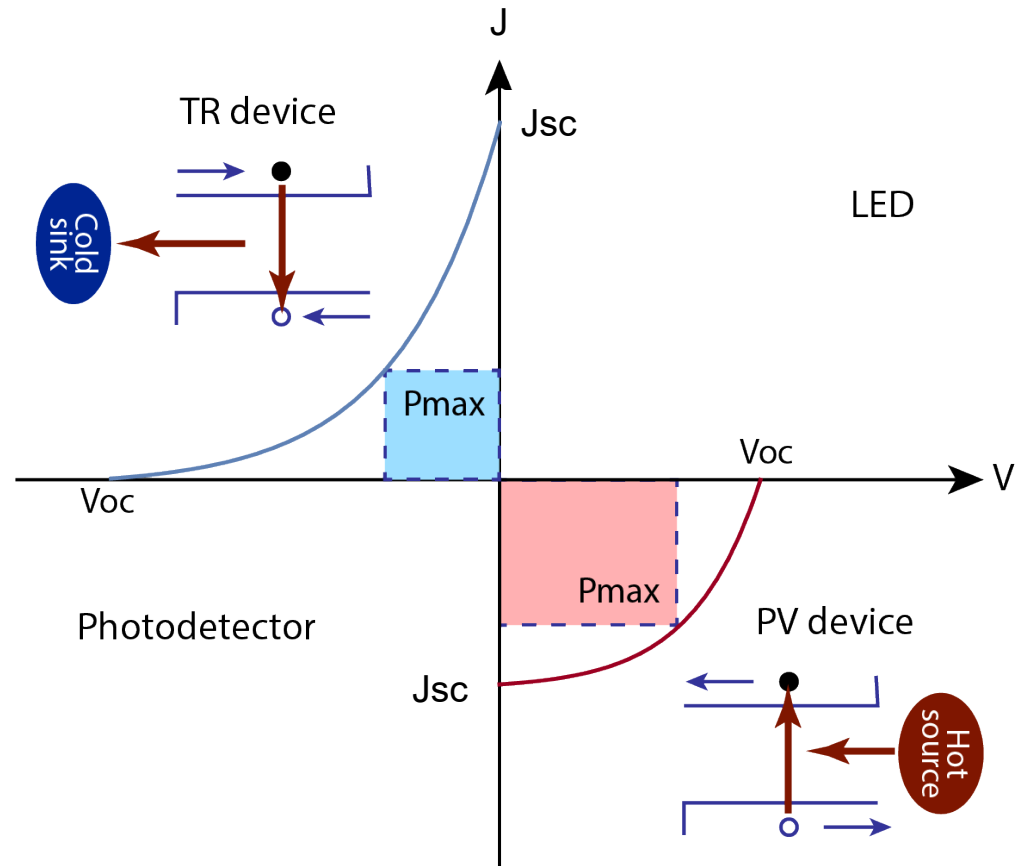
$$J(V) = J_{em} e^{\frac{qV}{kT_{em}}} - J_{amb}$$

$$V_{oc}: J(V_{oc}) = 0$$

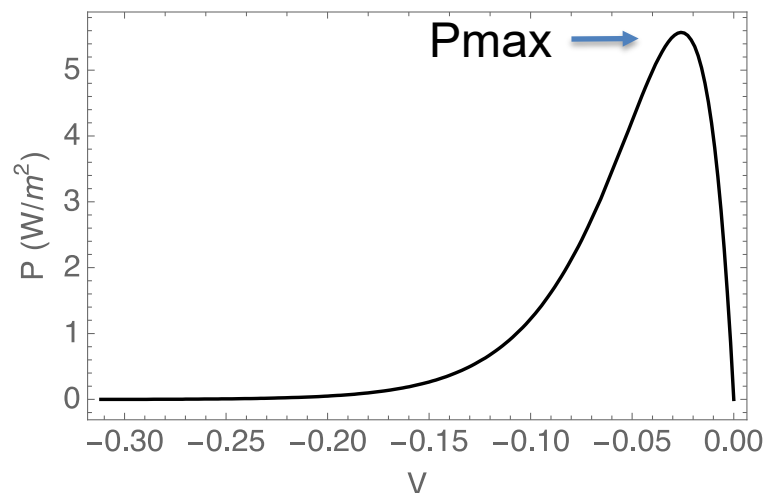
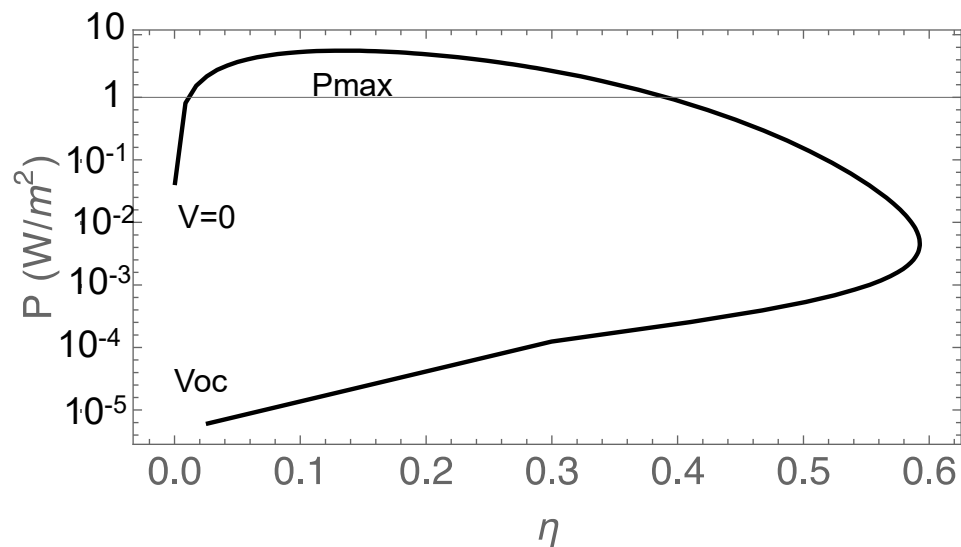
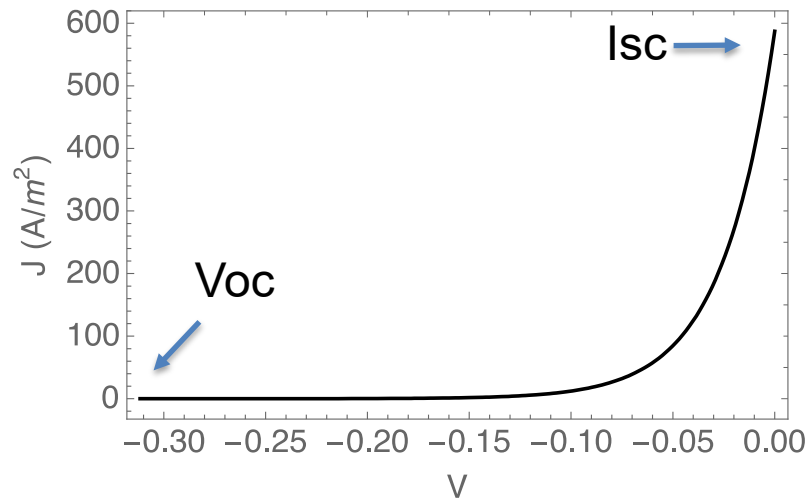
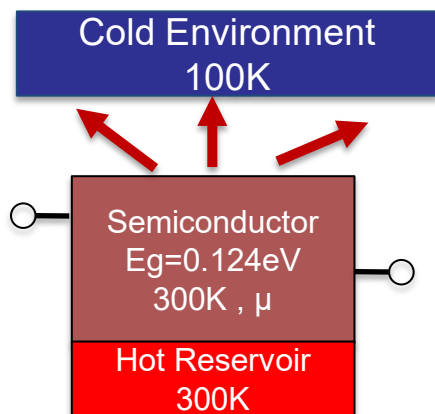
$$J_{em} e^{\frac{qV}{kT_{em}}} = J_{amb}$$

$$V_{oc} = \frac{kT}{q} \ln \left(\frac{J_{amb}}{J_{em}} \right)$$

$J_{amb} \ll J_{em}$ Voc is negative!

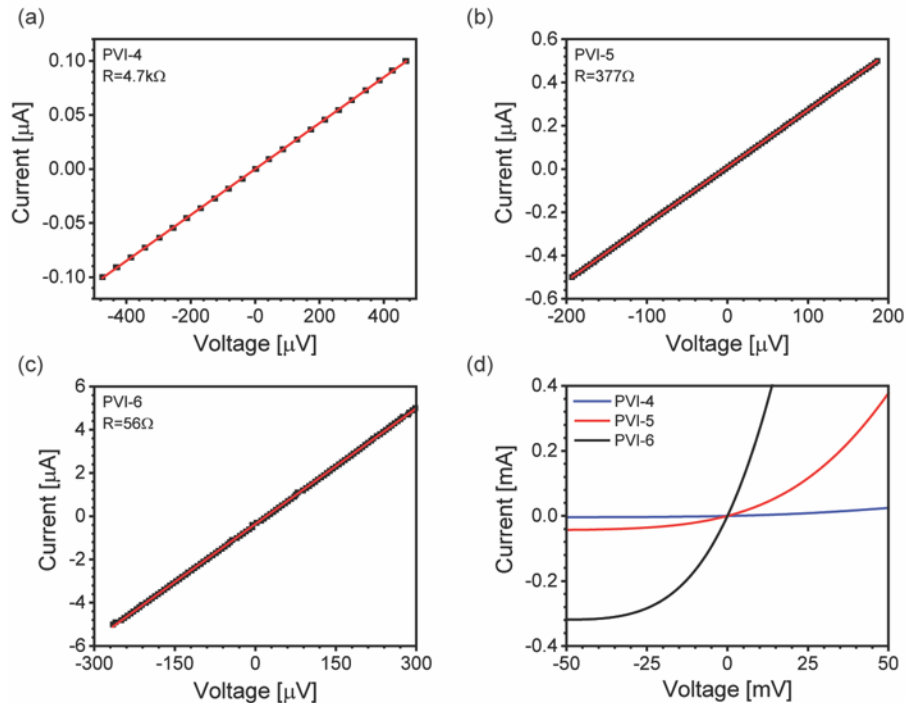
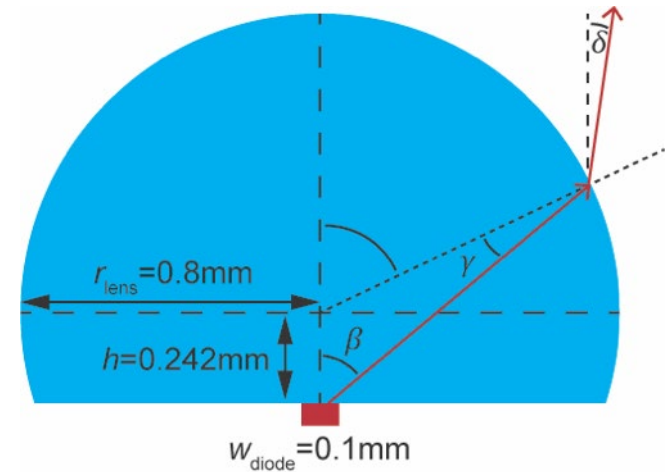
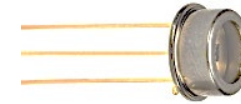


Thermoradiative diode, IV, Power & Efficiency

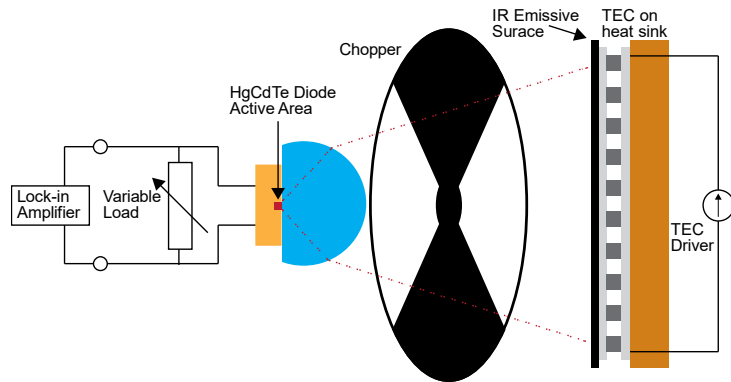


HgCdTe Photodiodes

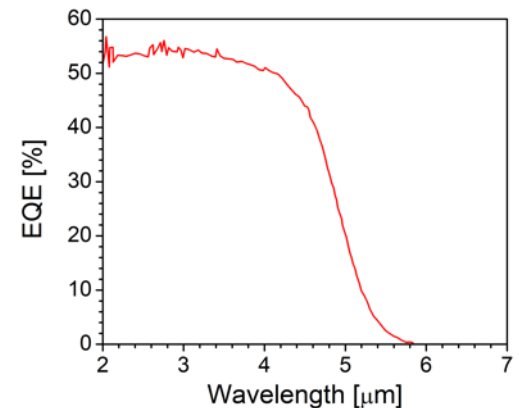
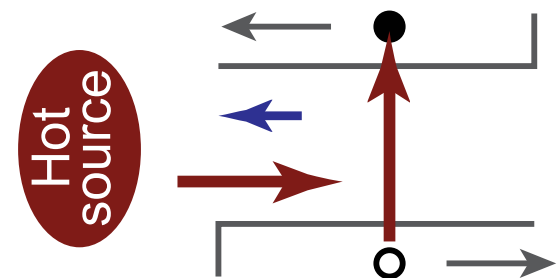
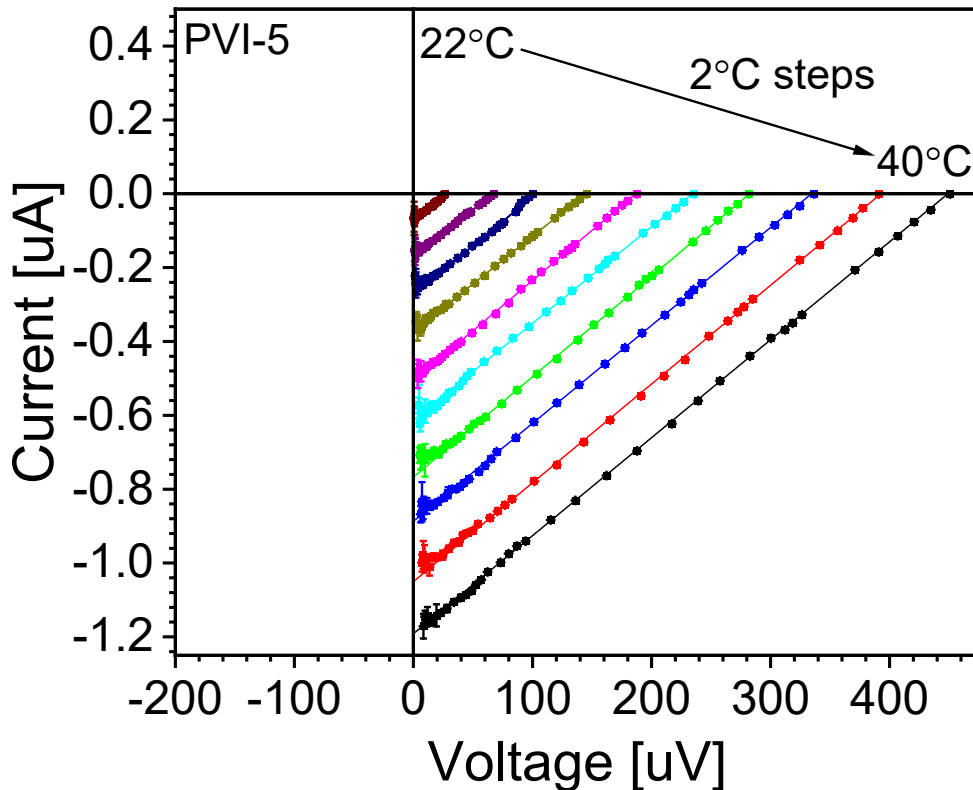
- Commercial HgCdTe photodetectors from VIGO Systems with nominal bandgaps at 4, 5 and 6 μm (PVI-4, PVI-5, PVI-6) and hyperhemispherical GaAs immersion lenses



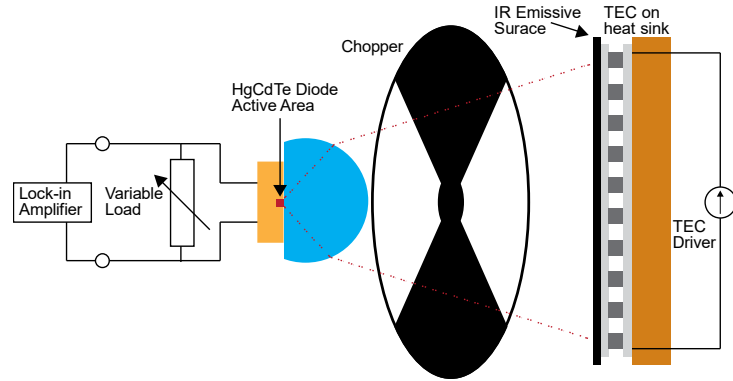
Photovoltaic Operation



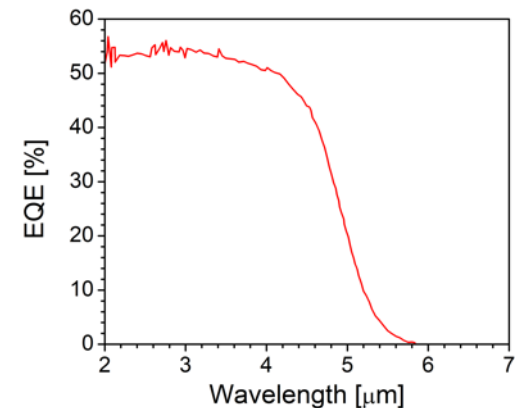
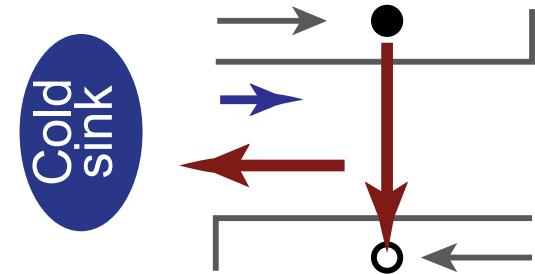
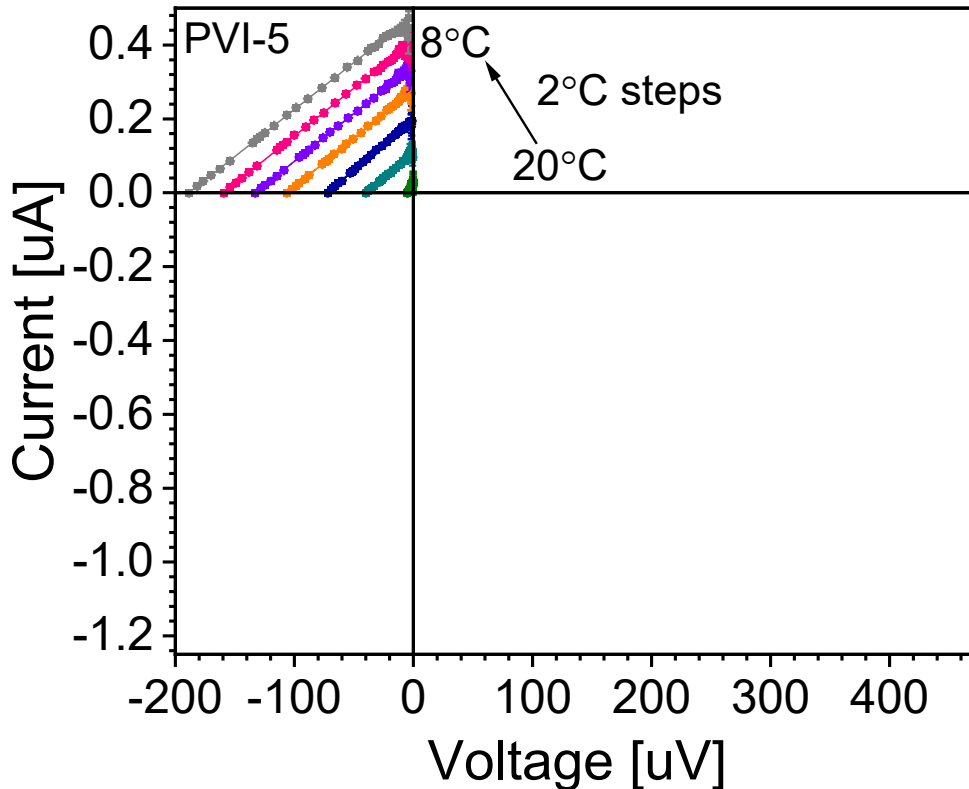
Photodiode @ 20.5°C



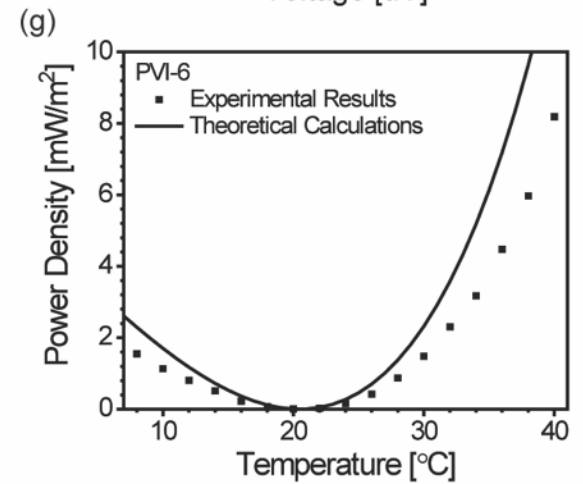
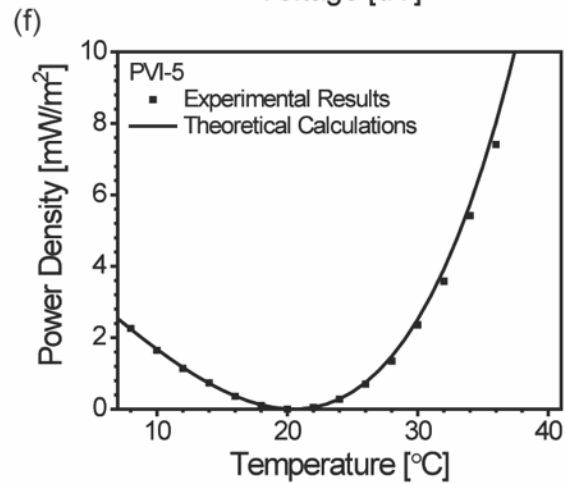
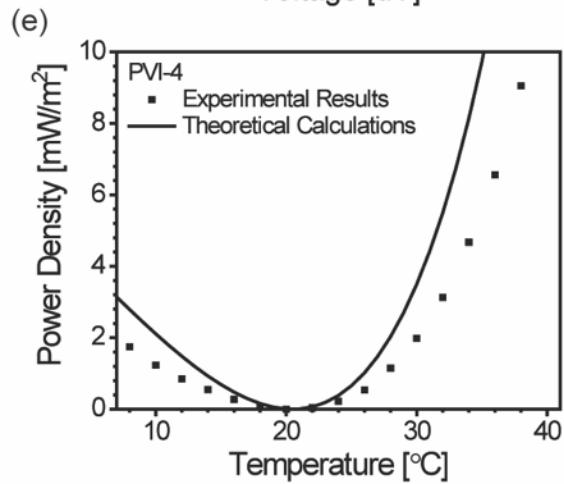
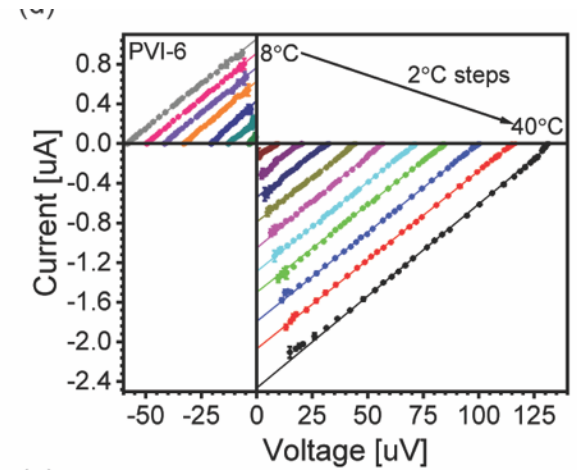
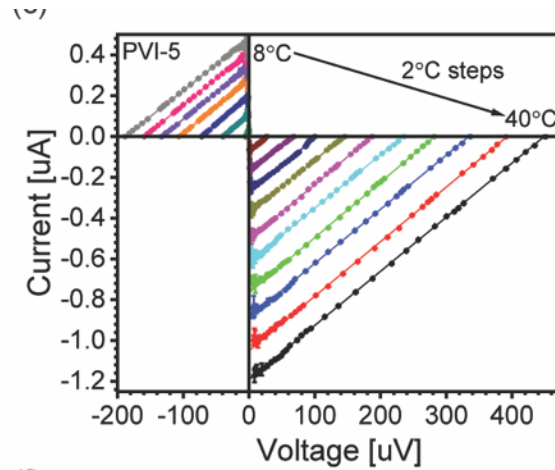
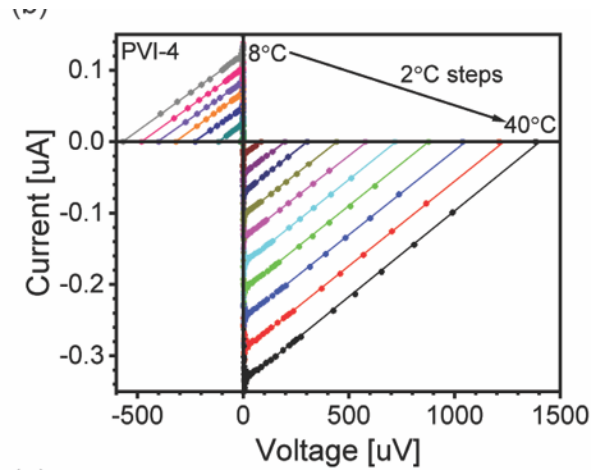
Thermoradiative Operation



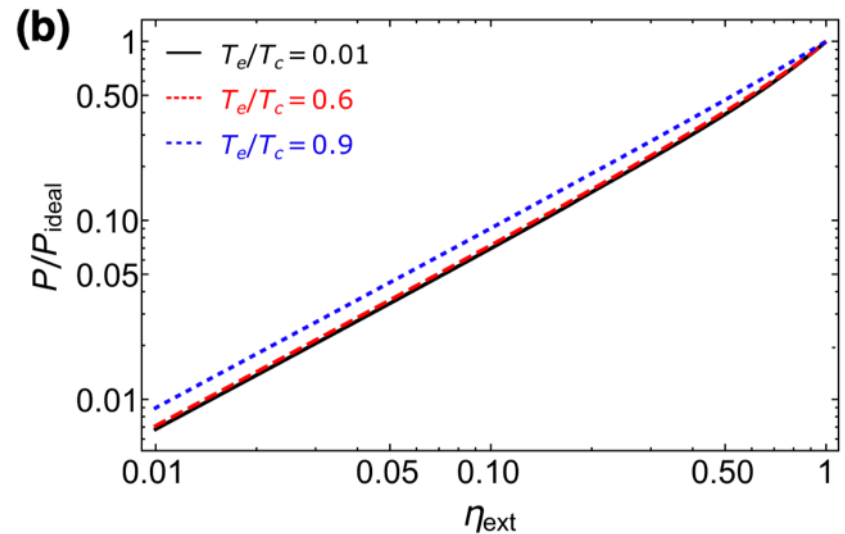
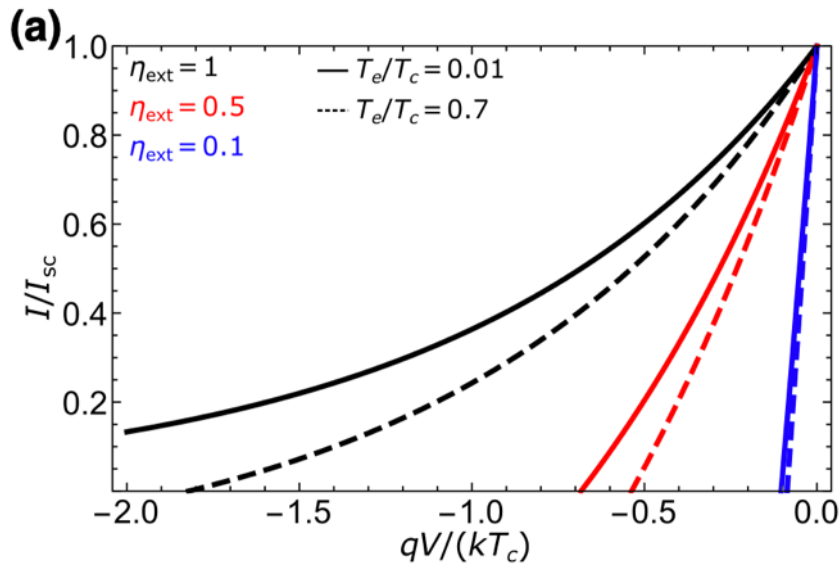
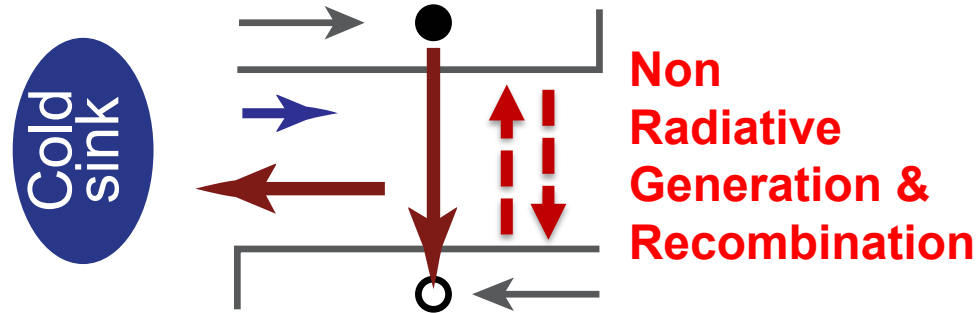
Photodiode @ 20.5°C



IV & Power characteristics for 4 μm , 5 μm & 6 μm diodes

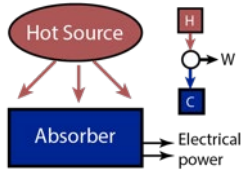


Why such low voltages?



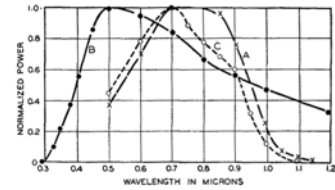
$$\eta_{\text{ext}} = \frac{\dot{N}(qV, E_g, T_c)}{\dot{N}(qV, E_g, T_c) + R_{\text{nr}}(qV)}$$

Conclusions



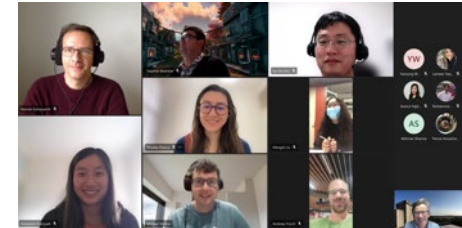
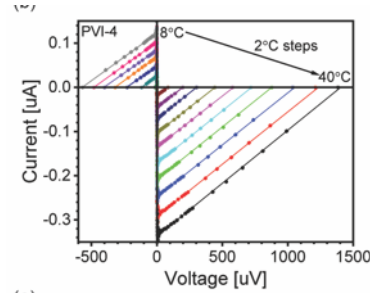
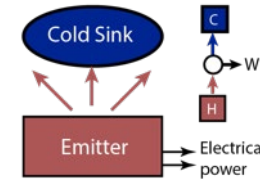
A New Silicon $p-n$ Junction Photocell for Converting Solar Radiation into Electrical Power
 D. M. CHAPIN, C. S. FULLER, AND G. L. PEARSON
Bell Telephone Laboratories, Inc., Murray Hill, New Jersey
 (Received January 11, 1954)

THE direct conversion of solar radiation into electrical power by means of a photocell appears more promising as a result of recent work on silicon $p-n$ junctions. Because the radiant energy is used without first being converted to heat, the theoretical efficiency is high. Photons of 1.02 electron volts ($\lambda=1.2$ microns) are able to produce electron-hole pairs in silicon. In the presence of a $p-n$ barrier, these electron-hole pairs are separated and made to do work in an external circuit. All of the light of wavelength shorter than 1.2 microns is potentially useful for generating electron-hole pairs but the efficiency of energy conversion decreases for short wavelengths because the energy above the necessary 1.02 electron



Silicon solar cell: G.Pearson, D.Chapin, C. Fuller, Bell Labs, 1952

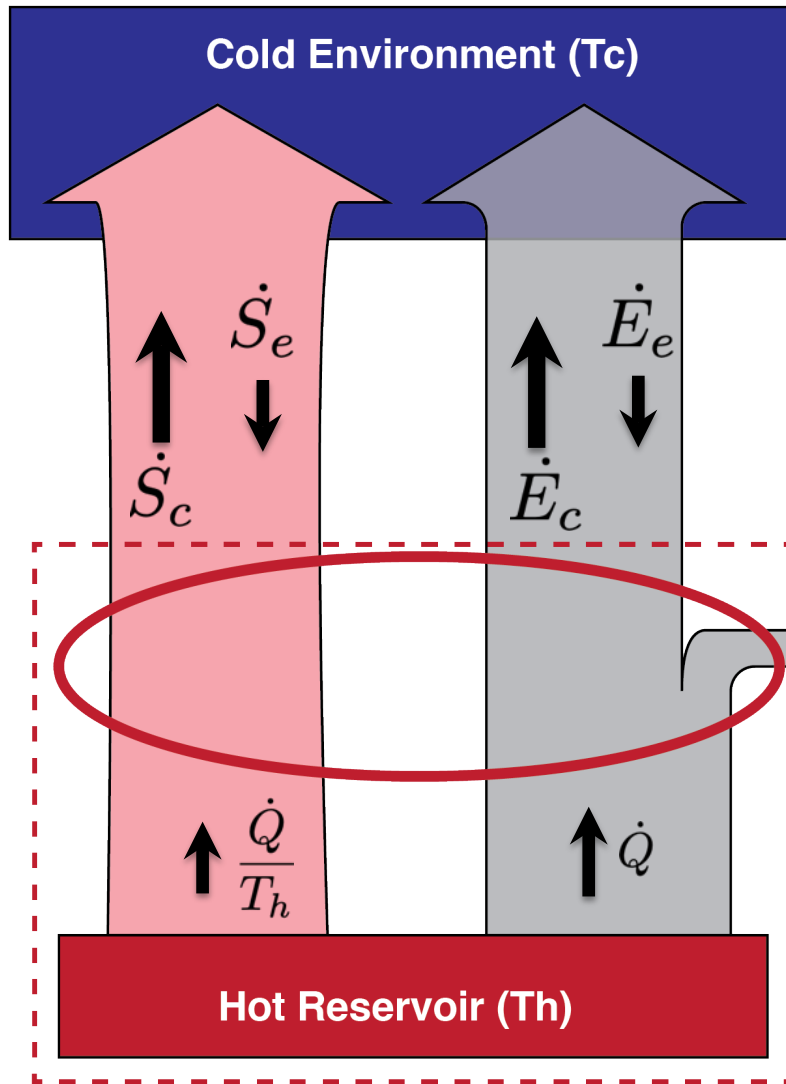
- Traditional photovoltaic R&D can be traced back to Becquerel in 1839.
- First silicon solar cell demonstrated in 1952
- Photovoltaic power quickly became ubiquitous in space.



Thermoradiative diode:
 Nielsen, Pusch, Sazzad,
 Pearce, Reece, Ekins-Daukes,
 2021 UNSW

- Thermoradiative power conversion recognized theoretically in 2014.
- Thermoradiative power can, in principle, be generated at levels of tens $W.m^{-2}$ in the radiative limit.
- Thermoradiative power generation has been demonstrated, in practice, with $mW.m^{-2}$ electrical power density.
- Practical thermoradiative devices delivering $W.m^{-2}$ demand very high radiative efficiency.

Electrical Power from Radiative Processes : Thermoradiative Conversion



Conservation of Energy: $\dot{Q} + \dot{E}_e = \dot{W} + \dot{E}_c$

Reversible operation: $\dot{S}_c = \dot{S}_e + \frac{\dot{Q}}{T_h}$

Radiant energy flux density: $\dot{E} = \sigma T^4$

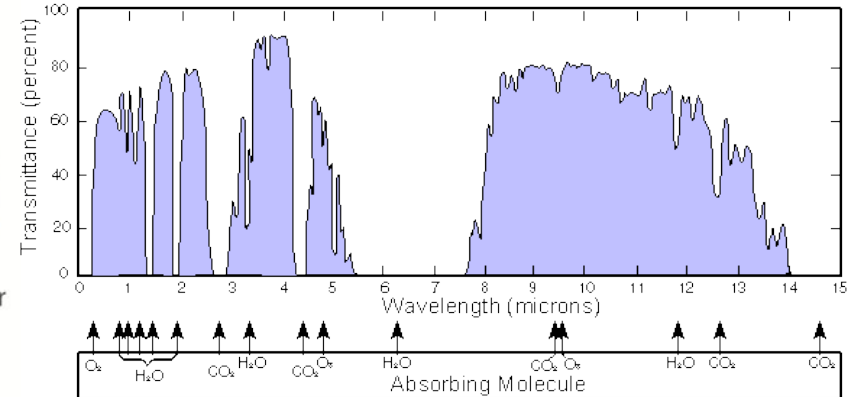
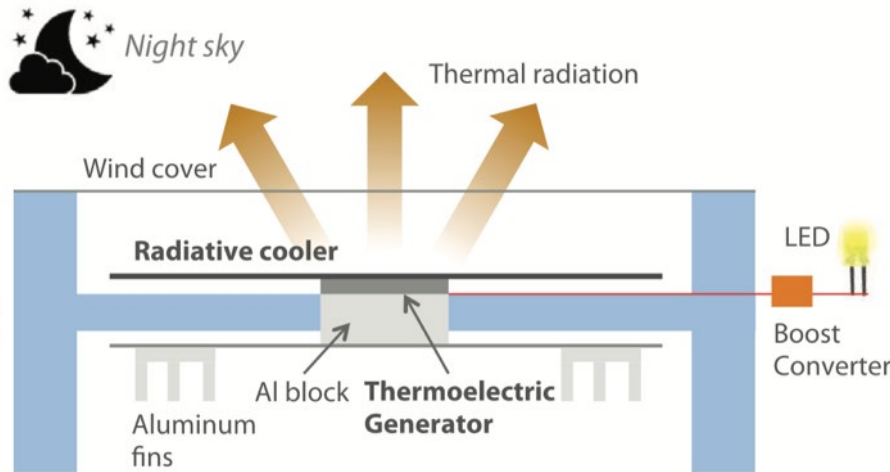
Radiant entropy flux density: $\dot{S} = \frac{4}{3}\sigma T^3$

$$\eta = \frac{\dot{W}}{\dot{Q}}$$

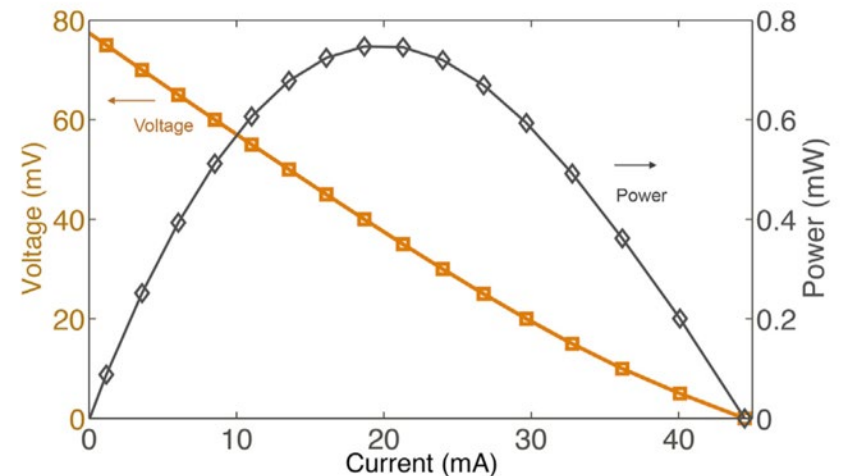
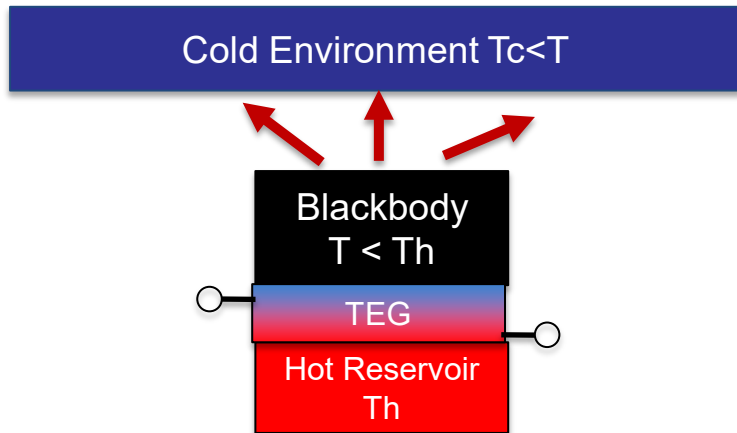
$$\eta = \frac{T_c^4 + (1/3)T_h^4 - (4/3)T_h T_c^3}{(4/3)(T_h^4 - T_h T_c^3)}$$

$$= \frac{1}{4}\eta_{\text{Carnot}} \frac{1 + 2(T_c/T_h) + 3(T_c/T_h)^2}{1 + T_c/T_h + (T_c/T_h)^2}$$

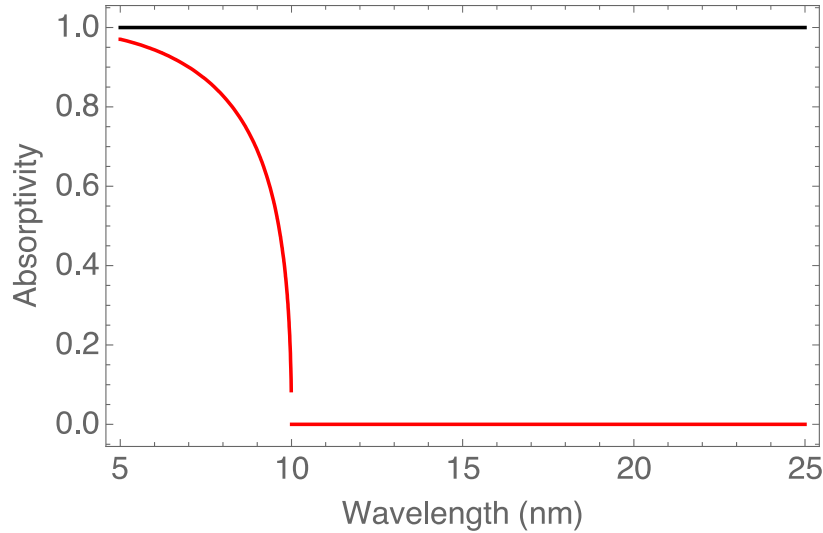
Thermoradiative generation at night:



https://en.wikipedia.org/wiki/Infrared_window

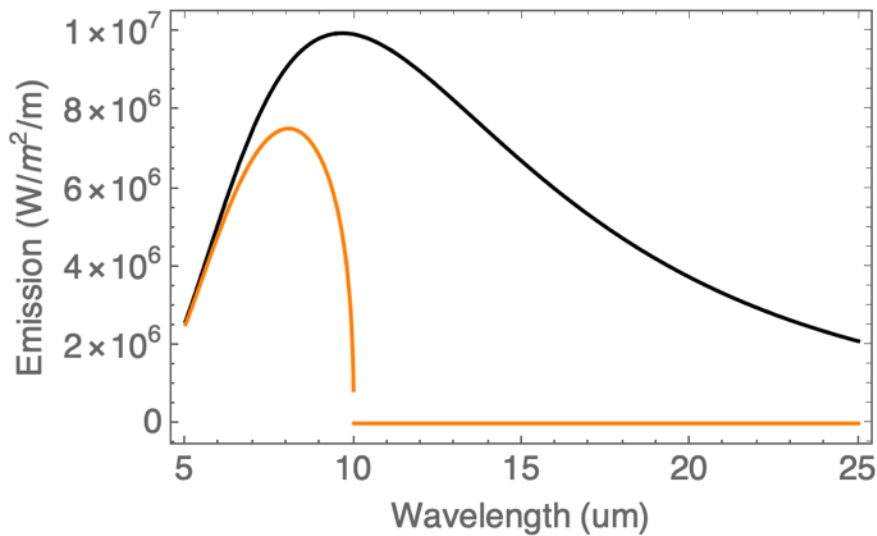
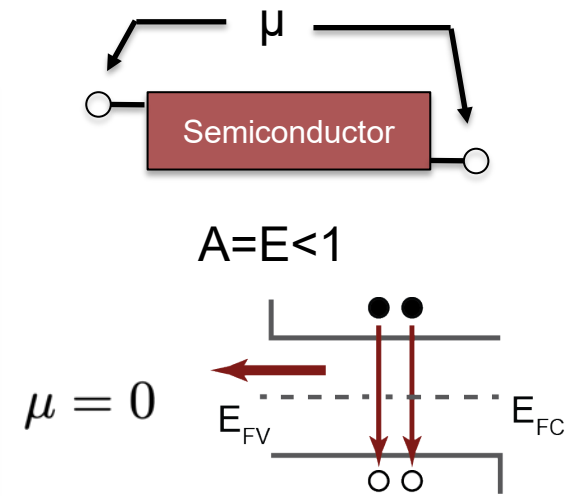


Blackbody vs Semiconductor



Blackbody

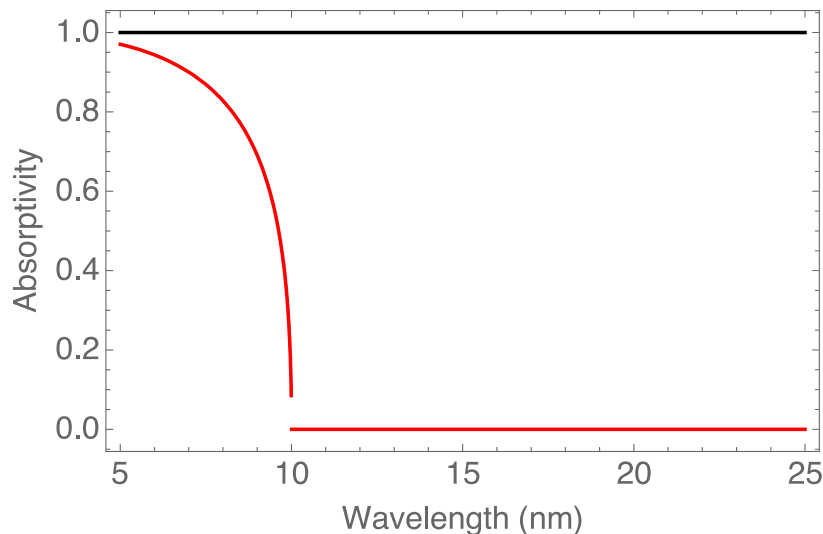
$A=E=1$
 $\mu=0$
 $\dot{E}(T) = \sigma T^4$



$$\dot{E}(\mu, E_g, T) = \frac{2\pi}{c^2 h^3} \int_0^\infty \frac{a(E) E_{ph}^3}{e^{(E_{ph}-\mu)/kT} - 1} dE_{ph}$$

- BB
- $\mu=0$

Blackbody vs Semiconductor

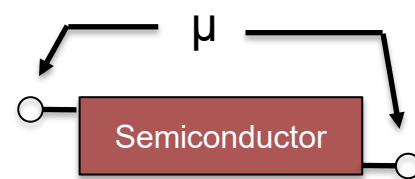


Blackbody

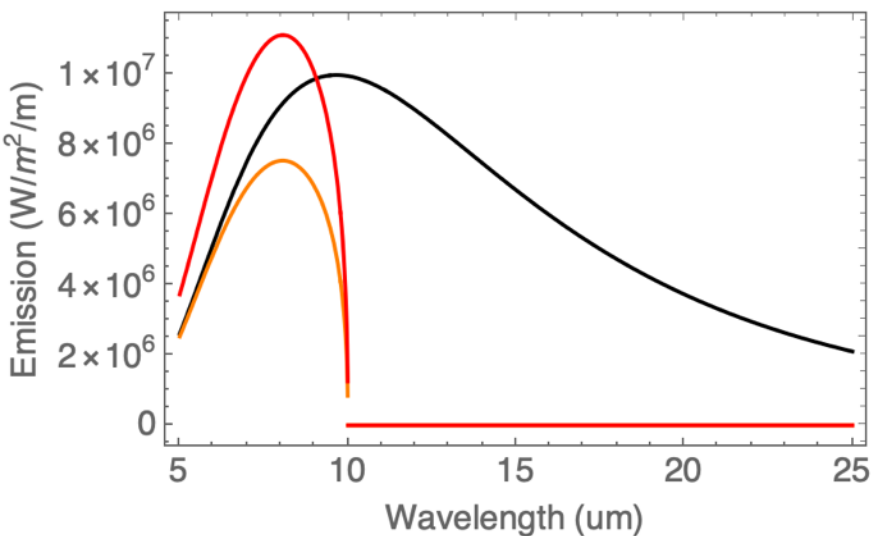
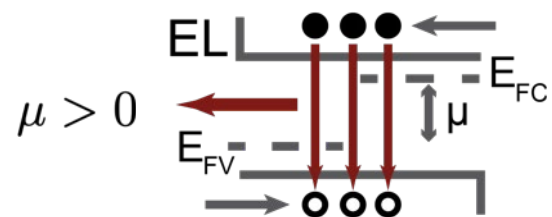
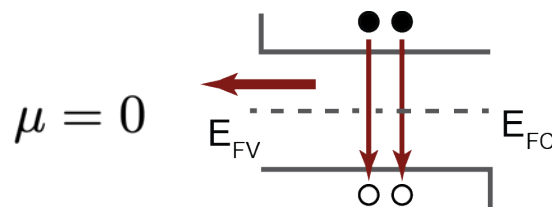
$A=E=1$

$\mu=0$

$\dot{E}(T) = \sigma T^4$



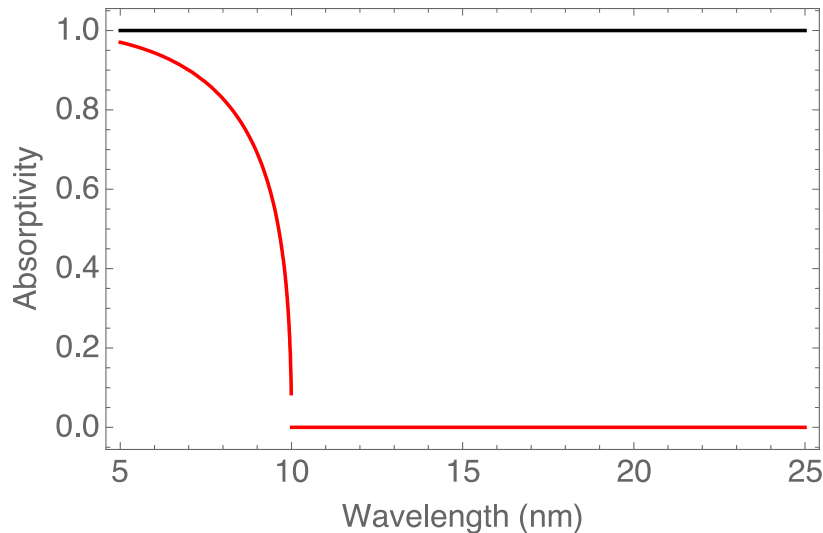
$A=E<1$



- BB
- $\mu=0$
- $\mu=+0.01V$

$$\dot{E}(\mu, E_g, T) = \frac{2\pi}{c^2 h^3} \int_0^\infty \frac{a(E) E_{ph}^3}{e^{(E_{ph}-\mu)/kT} - 1} dE_{ph}$$

Blackbody vs Semiconductor

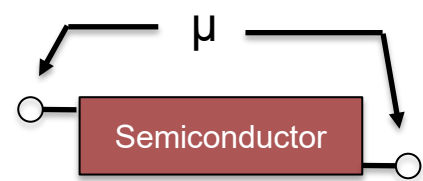
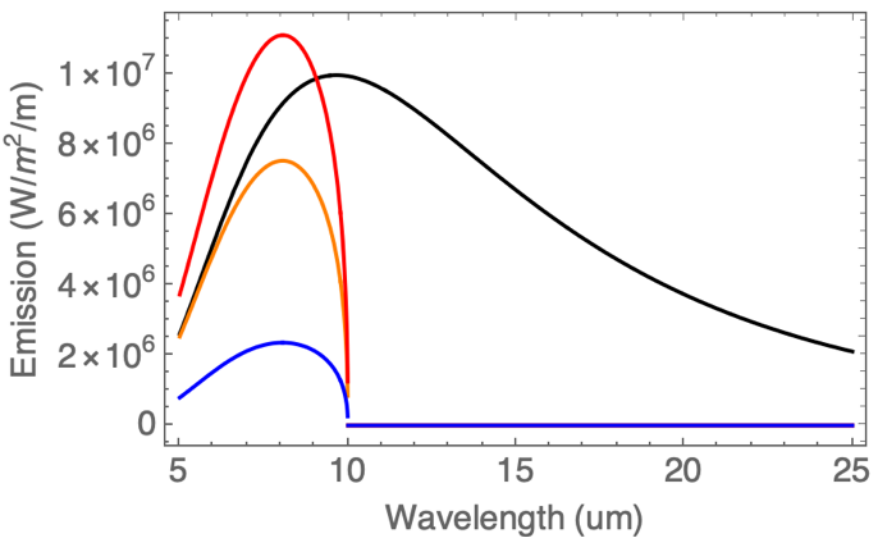


Blackbody

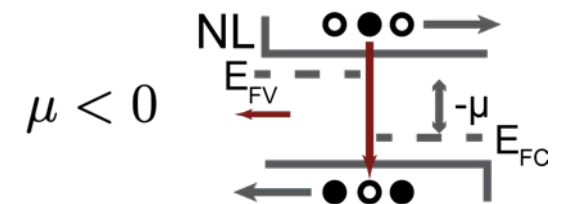
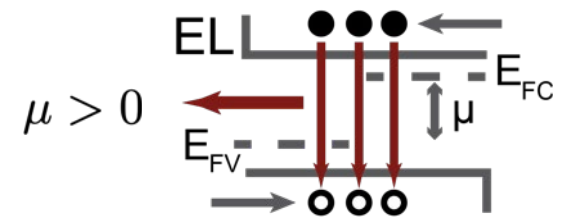
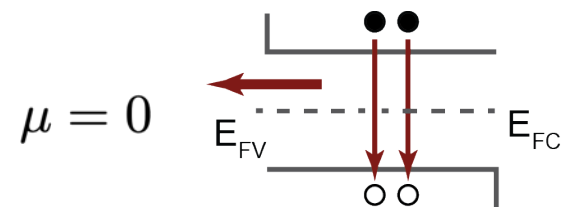
$A=E=1$

$\mu=0$

$\dot{E}(T) = \sigma T^4$

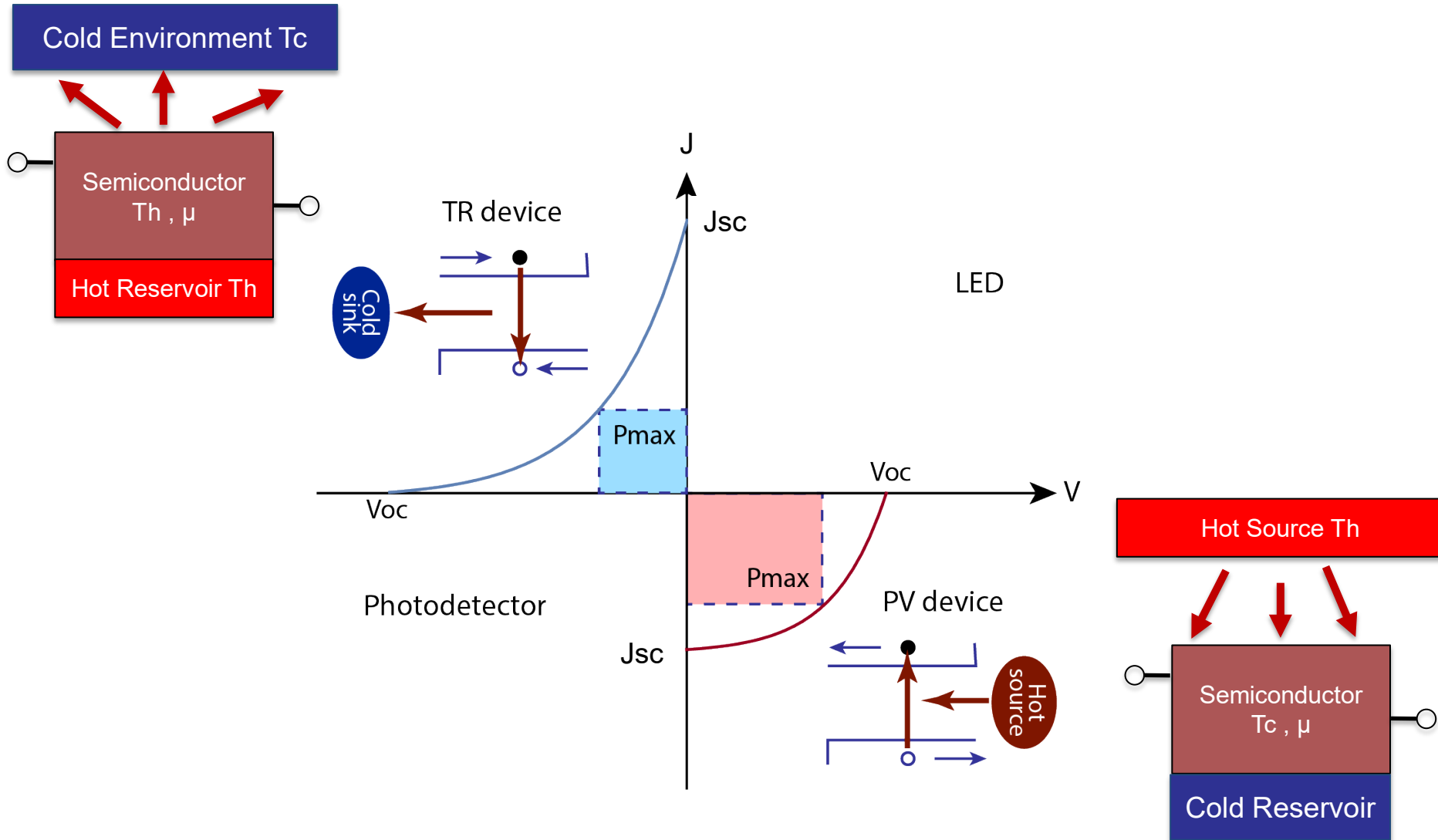


$A=E<1$

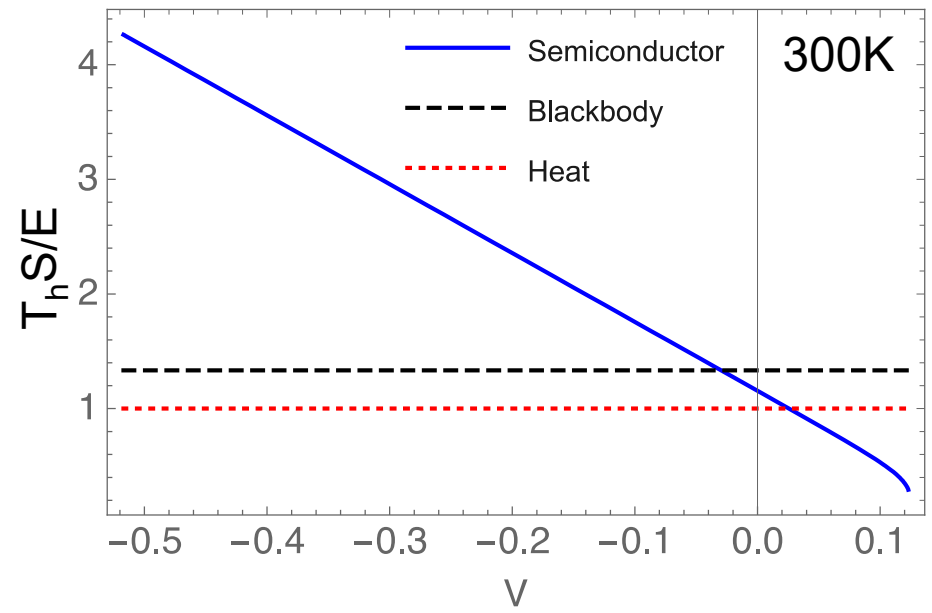
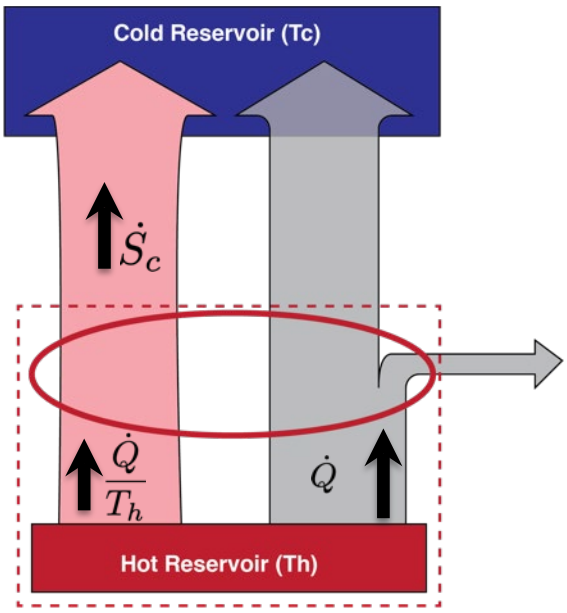
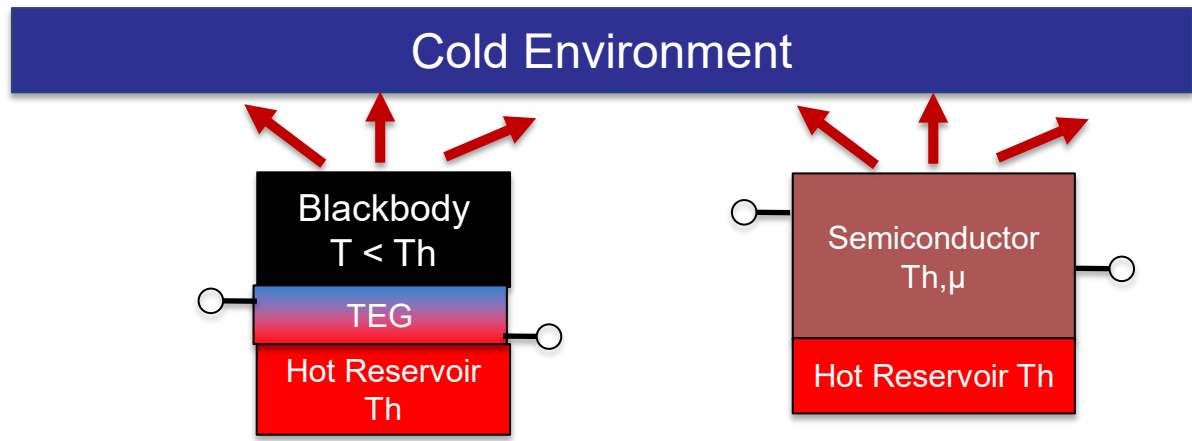


$$\dot{E}(\mu, E_g, T) = \frac{2\pi}{c^2 h^3} \int_0^\infty \frac{a(E) E_{ph}^3}{e^{(E_{ph} - \mu)/kT} - 1} dE_{ph}$$

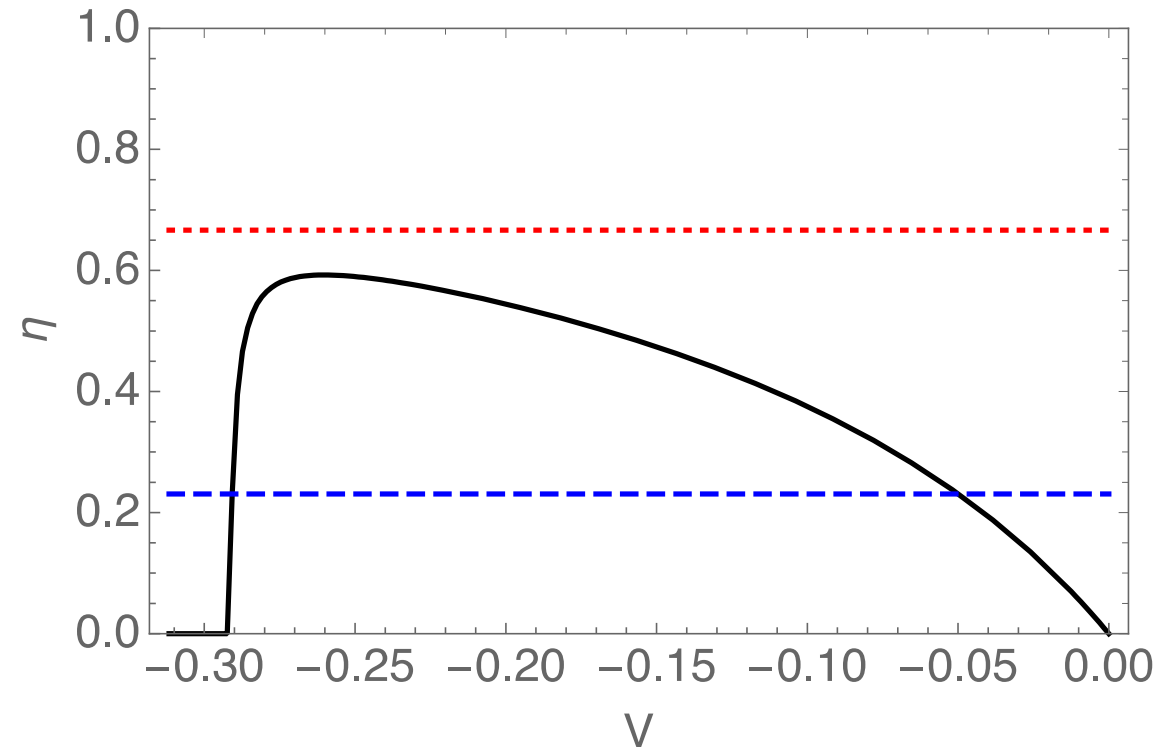
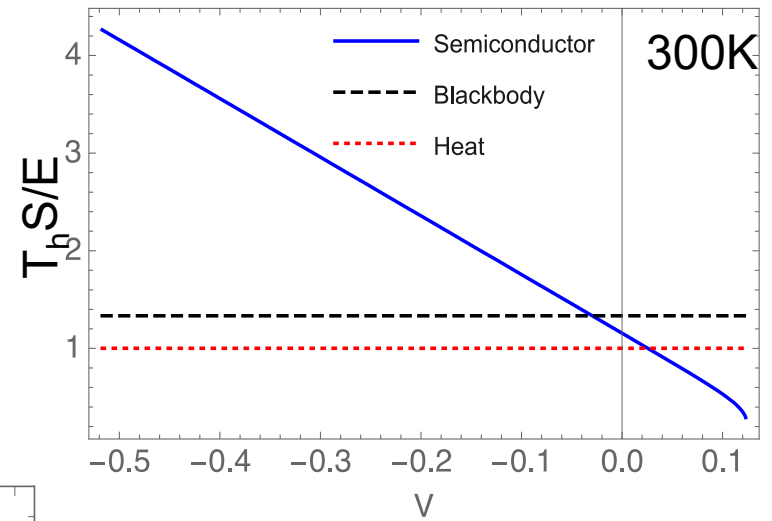
Power vs Efficiency relations for Thermoradiative Diode Generators



Energy to Entropy Ratio for a Blackbody and Semiconductor Emitter



Thermoradiative diode efficiency is higher than the Landsberg BB thermoradiative generation limit.



- ... Carnot
- TRD
- - - Landsberg BB